CSE 167: Introduction to Computer Graphics Lecture #7: Shading

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Announcements

Limited office hours this Thursday: only 3:30-5:30pm

Midterm Exam #1

- This Thursday, Oct 24th
- Location: Center Hall 119
- ► Time: 2:00pm 3:20pm
- ► To bring:
 - ▶ Pen/pencil, eraser
 - Ruler
 - Scratch paper
 - Photo ID: put on your table until you got checked off
- Not allowed:
 - ▶ Books, written or printed notes, cell phones, other electronic devices

Lecture Overview

- Programmable Shaders
 - Vertex Programs
 - Fragment Programs
 - **GLSL**

Vertex Programs

Vertex Attributes From Application Vertex **Uniform Parameters** To Rasterizer **Output Variables**

Vertex Attributes

- Declared using the attribute storage classifier
- Different for each execution of the vertex program
- Can be modified by the vertex program
- Two types:
 - Pre-defined OpenGL attributes. Examples:

```
attribute vec4 gl_Vertex;
attribute vec3 gl_Normal;
attribute vec4 gl_Color;
```

User-defined attributes. Example: attribute float myAttrib;

Uniform Parameters

- Declared by uniform storage classifier
- Normally the same for all vertices
- Read-only
- Two types:
 - Pre-defined OpenGL state variables
 - User-defined parameters

Uniform Parameters: Pre-Defined

- Provide access to the OpenGL state
- Examples for pre-defined variables:

```
uniform mat4 gl_ModelViewMatrix;
uniform mat4 gl_ModelViewProjectionMatrix;
uniform mat4 gl_ProjectionMatrix;
uniform gl_LightSourceParameters
    gl_LightSource[gl_MaxLights];
```

Uniform Parameters: User-Defined

- Parameters that are set by the application
- Should not be changed frequently
 - Especially not on a per-vertex basis!
- ▶ To access, use glGetUniformLocation, glUniform* in application
- **Example:**
 - In shader declare
 uniform float a;
 - Set value of a in application:

```
GLuint p;
int I = glGetUniformLocation(p,"a");
glUniform1f(i, 1.0f);
```

Vertex Programs: Output Variables

- Required output: homogeneous vertex coordinates vec4 gl_Position
- varying output variables
 - Mechanism to send data to the fragment shader
 - Will be interpolated during rasterization
 - Fragment shader gets interpolated data
- Pre-defined varying output variables, for example:

```
varying vec4 gl_FrontColor;
varying vec4 gl_TexCoord[];
```

Any pre-defined output variable that you do not overwrite will have the value of the OpenGL state.

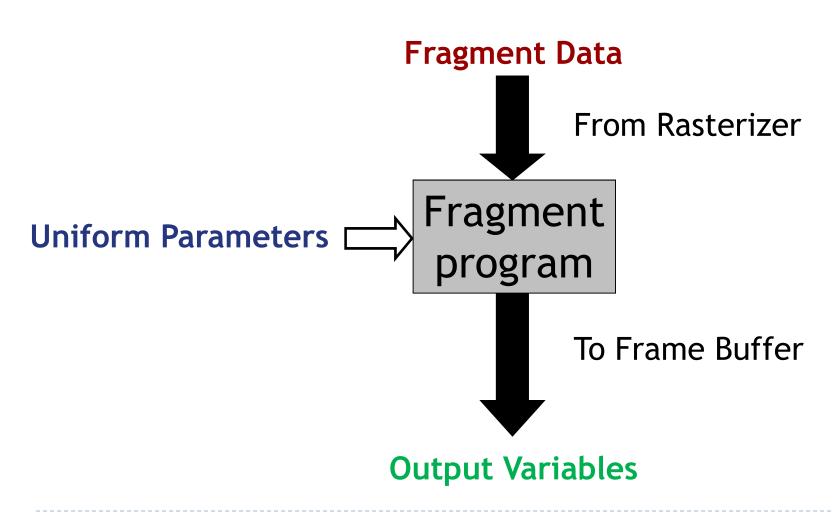
User-defined varying output variables, e.g.:

```
varying vec4 vertex_color;
```

Lecture Overview

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Fragment Programs



Fragment Data

- Changes for each execution of the fragment program
- Fragment data includes:
 - Interpolated standard OpenGL variables for fragment shader, as generated by vertex shader, for example: varying vec4 gl_Color;
 - varying vec4 gl_TexCoord[];
 - Interpolated varying variables from vertex shader
 - Allows data to be passed from vertex to fragment shader

Uniform Parameters

Same as in vertex programs

Output Variables

- Pre-defined output variables:
 - gl_FragColor
 - gl_FragDepth
- OpenGL writes these to the frame buffer
- Result is undefined if you do not set these variables!

Lecture Overview

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 - Fragment Programs
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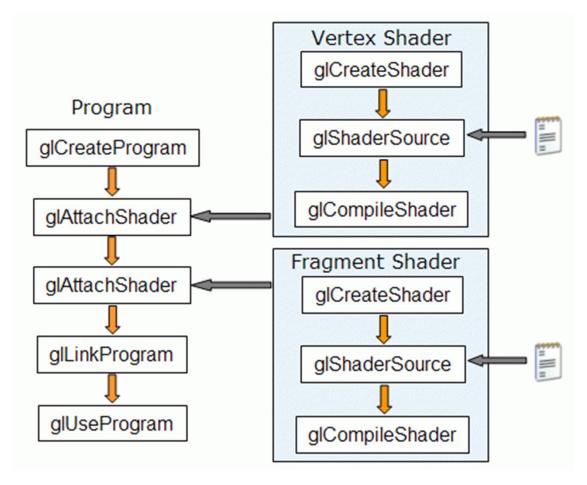
GLSL Main Features

- Similar to C language
- attribute, uniform, varying storage classifiers
- Set of predefined variables
 - Access to per-vertex, per-fragment data
 - Access OpenGL state
- Built-in vector data types, vector operations
- No pointers
- No direct access to data or variables in your C++ code

Example: Treat normals as colors

```
// Vertex Shader
varying vec4 color;
void main()
  // Treat the normal (x, y, z) values as (r, g, b) color
components.
  color = vec4(clamp(abs((gl_Normal + 1.0) * 0.5), 0.0, 1.0),
1.0);
  gl_Position = ftransform();
// Fragment Shader
varying vec4 color;
void main()
  gl_FragColor = color;
```

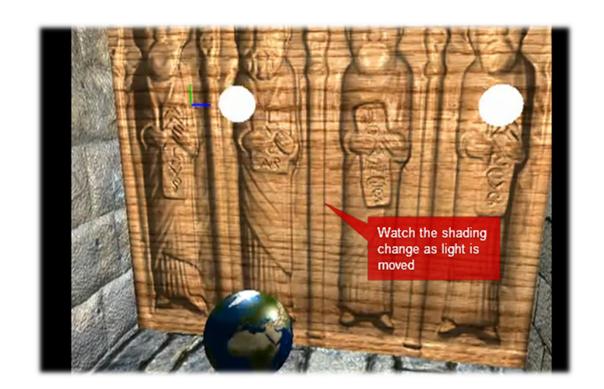
Creating Shaders in OpenGL



Source: Gabriel Zachmann, Clausthal University

Video

- OpenGL and GLSL Demo 2
 - http://www.youtube.com/watch?v=cQ8PI6X0Op8



Tutorials and Documentation

- OpenGL and GLSL specifications
 - http://www.opengl.org/documentation/specs/
- GLSL tutorials
 - http://www.lighthouse3d.com/opengl/glsl/
 - http://www.clockworkcoders.com/oglsl/tutorials.html
- OpenGL Programming Guide (Red Book)
- OpenGL Shading Language (Orange Book)
- OpenGL 4.4 API Reference Card
 - http://www.khronos.org/files/opengl44-quick-reference-card.pdf

Lecture Overview

- ▶ Texture Mapping
 - Overview
 - Wrapping
 - Texture coordinates
 - Anti-aliasing

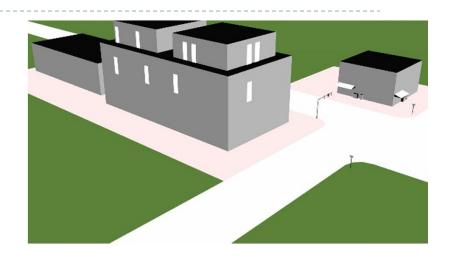
Large Triangles

Pros:

- Often sufficient for simple geometry
- ▶ Fast to render

Cons:

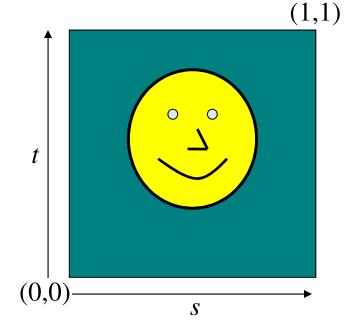
Per vertex colors look boring and computer-generated



- Map textures (images) onto surface polygons
- Same triangle count, much more realistic appearance

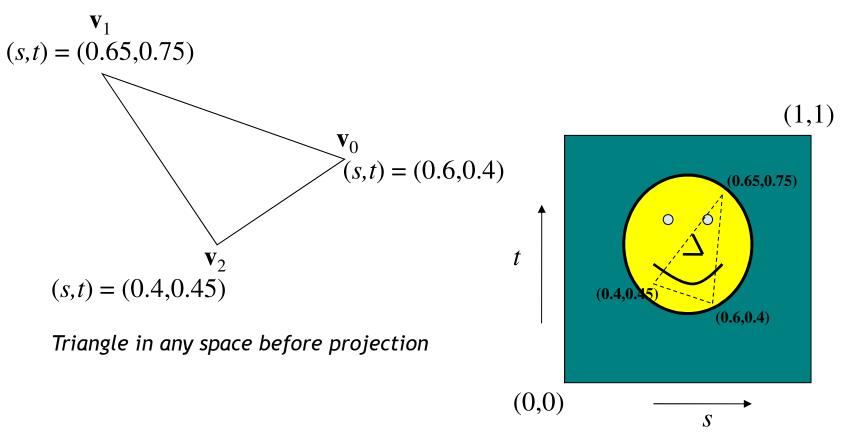


- Goal: map locations in texture to locations on 3D geometry
- Texture coordinate space
 - Texture pixels (texels) have texture coordinates (s,t)
- Convention
 - Bottom left corner of texture is at (s,t) = (0,0)
 - ▶ Top right corner is at (s,t) = (1,1)



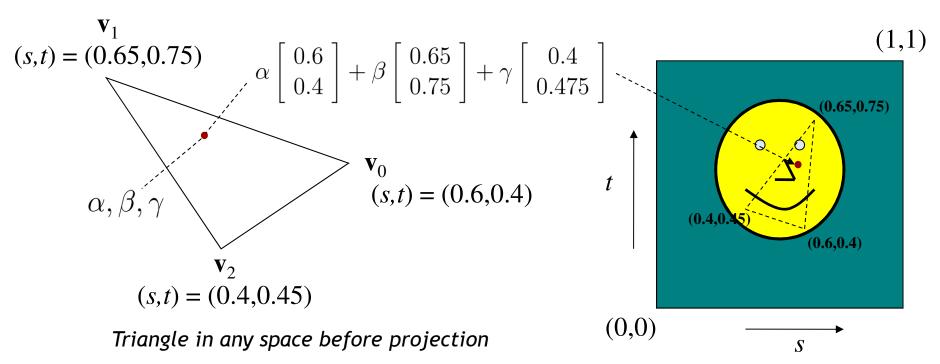
Texture coordinates

▶ Store 2D texture coordinates s,t with each triangle vertex

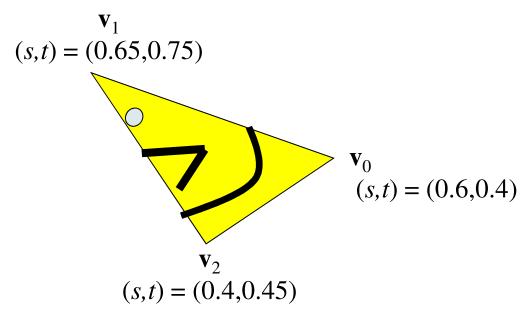


Texture coordinates

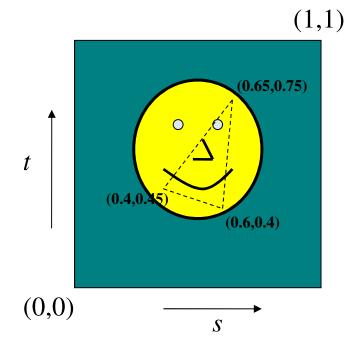
- Each point on triangle has barycentric coordinates α , β , γ
- Barycentric coordinates interpolate texture coordinates
- Done automatically on GPU



Each point on triangle gets color from its corresponding point in texture

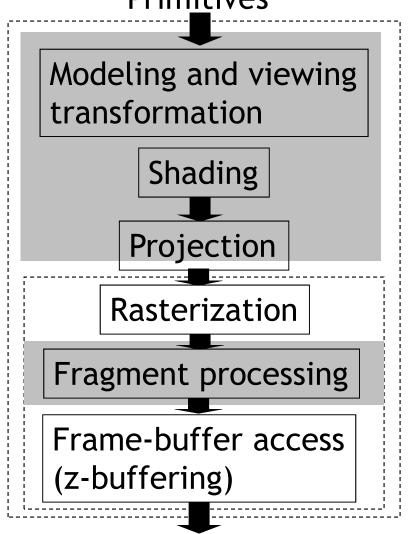


Triangle in any space before projection



Texture coordinates

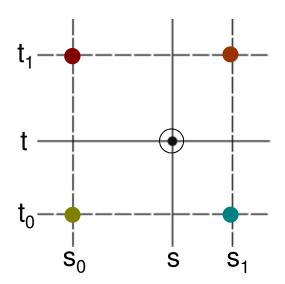
Primitives



Includes texture mapping

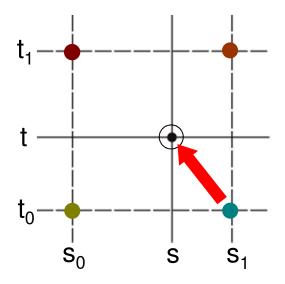
Texture Look-Up

- Given interpolated texture coordinates (s, t) at current pixel
- ► Closest four texels in texture space are at $(s_0,t_0), (s_1,t_0), (s_0,t_1), (s_1,t_1)$
- How to compute pixel color?



Nearest-Neighbor Interpolation

Use color of closest texel



Simple, but low quality and aliasing

Bilinear Interpolation

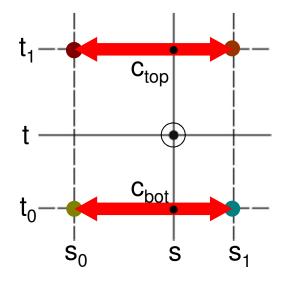
I. Linear interpolation horizontally:

Ratio in s direction r_s :

$$r_{s} = \frac{s - s_{0}}{s_{1} - s_{0}}$$

$$c_{top} = tex(s_{0}, t_{1}) (I - r_{s}) + tex(s_{1}, t_{1}) r_{s}$$

$$c_{bot} = tex(s_{0}, t_{0}) (I - r_{s}) + tex(s_{1}, t_{0}) r_{s}$$



Bilinear Interpolation

2. Linear interpolation vertically

Ratio in t direction r_t :

$$r_{t} = \frac{t - t_{0}}{t_{1} - t_{0}}$$

$$c = c_{bot} (I - r_{t}) + c_{top} r_{t}$$

