

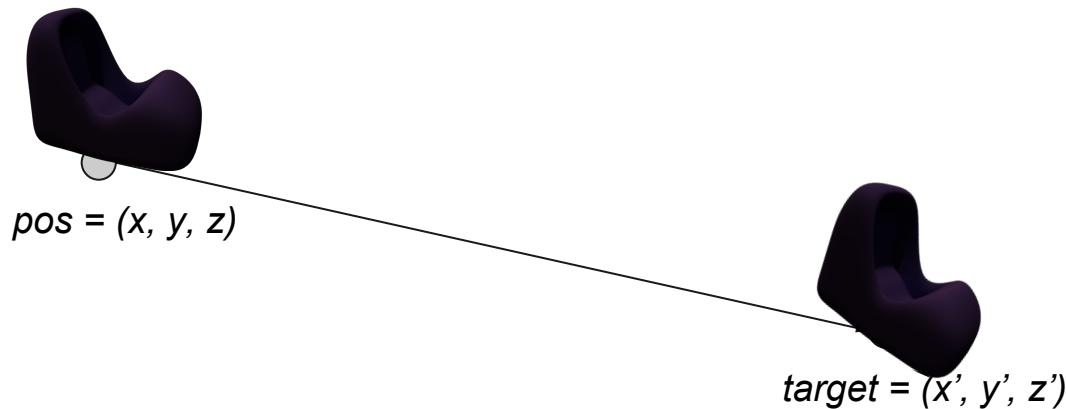
# CSE 167



# Discussion #8

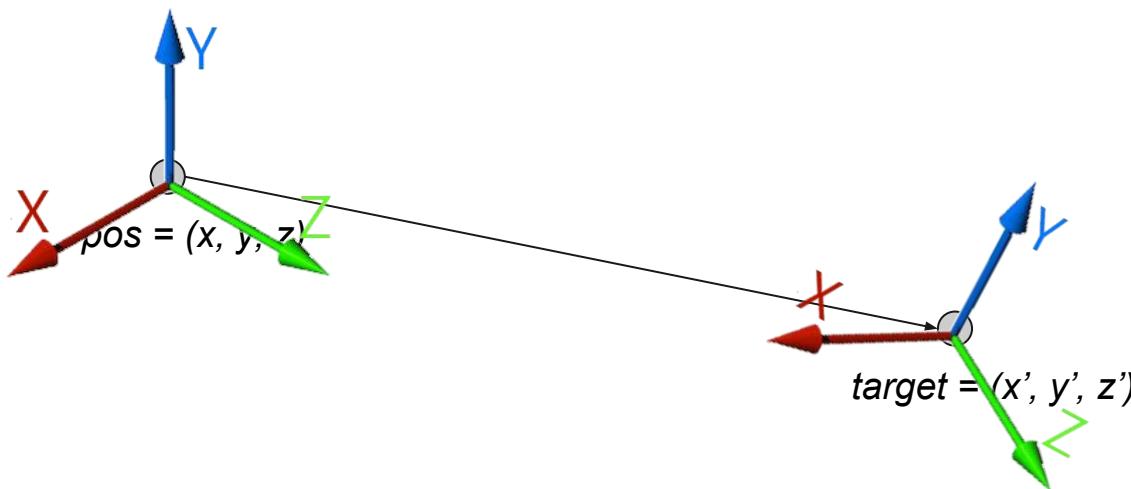
I'm the only human who can do it

# Coaster Orientation

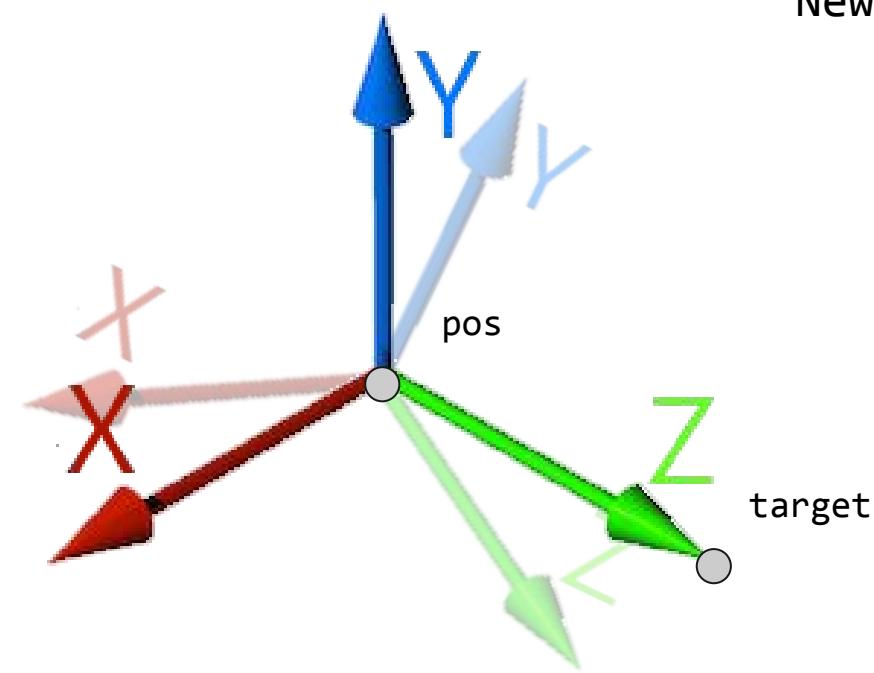


# Coaster Orientation

Rotation &  
Translation

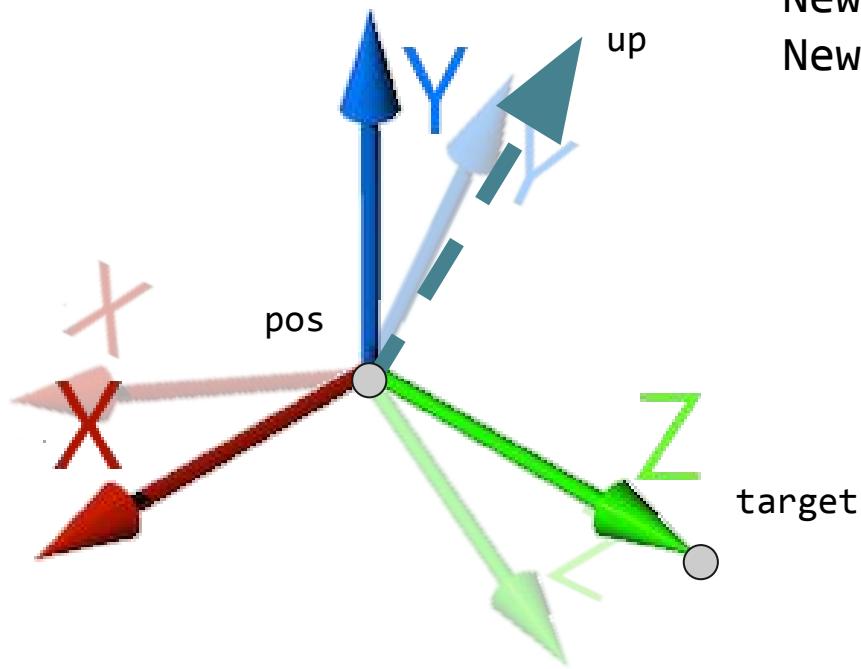


# Coaster Rotation



New Z = normalize(target - pos)

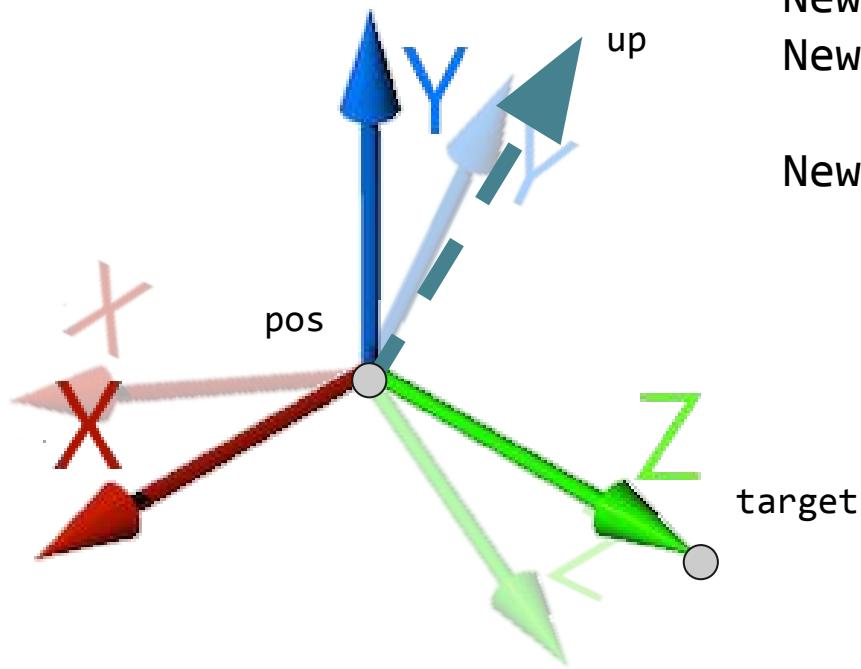
# Coaster Rotation



New Z = normalize(target - pos)

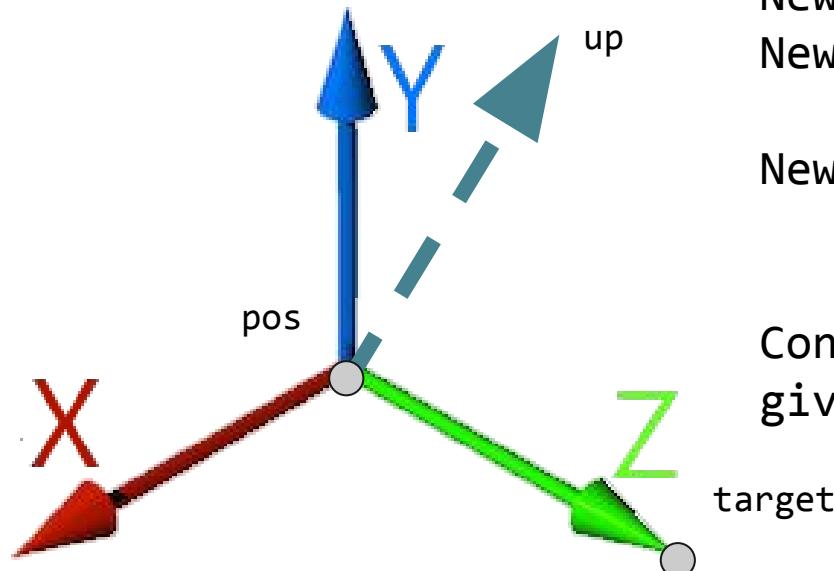
New X = normalize(cross(<0, 1, 0>,  
New Z))

# Coaster Rotation



```
New Z = normalize(target - pos)  
New X = normalize(cross(<0, 1, 0>,  
           New Z))  
New Y = normalize(cross(New Z,  
           New X))
```

# Coaster Rotation



New Z = normalize(target - pos)

New X = normalize(cross(<0, 1, 0>,  
New Z))

New Y = normalize(cross(New Z,  
New X))

Construct the transformation matrix,  
given New (X, Y, Z) and pos

# Moving Points

**z-axis**

$$\mathbf{z}_C = \frac{\mathbf{e} - \mathbf{d}}{\|\mathbf{e} - \mathbf{d}\|}$$

**x-axis**

$$\mathbf{x}_C = \frac{\mathbf{u}\mathbf{p} \times \mathbf{z}_C}{\|\mathbf{u}\mathbf{p} \times \mathbf{z}_C\|}$$

**y-axis**

$$\mathbf{y}_C = \mathbf{z}_C \times \mathbf{x}_C = \frac{\mathbf{u}\mathbf{p}}{\|\mathbf{u}\mathbf{p}\|}$$

$$\mathbf{C} = \begin{bmatrix} \mathbf{x}_C & \mathbf{y}_C & \mathbf{z}_C & \mathbf{e} \\ 0 & 0 & 0 & 1 \end{bmatrix}$$

# Moving Points

- If we take our control point's position and add the camera's scaled x-axis and scaled y-axis, we can move the control point in the camera's x-y plane
  - $\text{control\_pos} = \text{control\_pos} + s_{\text{x-axis}} * \text{x-axis} + s_{\text{y-axis}} * \text{y-axis}$